

NAME: \_\_\_\_\_

Math \_\_\_\_\_, Period \_\_\_\_\_

Mr. Rogove

Date: \_\_\_\_\_

**LEARNING OBJECTIVE:** We will explore the concept of a function and inspect the average rate of change over time intervals to determine if the rate is constant. (G8M5L1)

**CONCEPT DEVELOPMENT:**

Functions are used to make predictions about real life situations. We can predict the distance an object has traveled for **any given time interval**.

**Can we assume a constant rate?**

Suppose a moving object travels 256 feet in 4 seconds. Assume that the object travels at a constant speed. Write a linear equation in two variables to represent the situation, and use it to make predictions about the distance traveled over various intervals of time.

The object is actually a stone that has been dropped from a height of 256 feet. It takes exactly 4 seconds for the stone to hit the ground.

How far does it travel in the first three seconds?

144 ft.

How far does it travel in the last three seconds?

240 ft.

\* Can we express this as a linear equation?

No. Not traveling at constant

Number of seconds (x)	Distance traveled in feet (y)
1	64
2	128
3	192
4	256

EQUATION:  $y = 64x$

Number of seconds (x)	Distance traveled in feet (y)
1	16
2	64
3	144
4	256

$y = 16x^2$

$$\text{Average Speed} = \frac{\text{distance traveled over a given time interval}}{\text{time interval}}$$

**GUIDED / INDEPENDENT PRACTICE:**

Use the table to answer the questions below.

Number of seconds ( $x$ )	Distance traveled in feet ( $y$ )
0.5	4
1	16
1.5	36
2	64
2.5	100
3	144
3.5	196
4	256

1. What is the average speed of the stone between 0 and 3 seconds?

$$48 \text{ ft./sec.}$$

2. Look at the distance the stone falls each second. Do you notice anything interesting?

The stone falls 32 more feet each second than it did the second before.

3. How many feet did the stone fall between 0-1 second?

$$16$$

How about between 1-2 seconds?

$$48$$

How about between 2-3 seconds?

$$80$$

How about between 3-4 seconds?

$$112$$

$$\text{speed} = \frac{\text{dist.}}{\text{time}}$$

4. What is the average speed for each half-second interval?

Interval between 0-0.5 seconds	$\frac{4}{0.5} = 8 \text{ feet/sec.}$
Interval between 0.5-1 second	$\frac{12}{.5} = 24 \text{ ft./sec.}$
Interval between 1-1.5 seconds	$\frac{20}{.5} = 40 \text{ ft./sec.}$
Interval between 1.5-2 seconds	$= 56 \text{ ft./sec.}$
Interval between 2-2.5 seconds	$= 72 \text{ ft./sec.}$
Interval between 2.5-3 seconds	$= 88 \text{ ft./sec.}$
Interval between 3-3.5 seconds	$= 104 \text{ ft./sec.}$
Interval between 3.5-4 seconds	$= 120 \text{ ft./sec.}$

Apples bought in lbs.(x)	Price paid in dollars (y)
0.5 (.8)	0.40
1 (.8)	0.80
2.5 (.8)	2.00
3 (.8)	2.40
3.75 (.8)	3.00

Is the rate constant? How do you know?

Yes. Because the cost of apples per pound doesn't change.

Write the rule:

$$y = 0.8x$$

Time in minutes (x)	Distance in miles (y)
60	65
120	130
150	162.5
180	195
270	292.5

Is the rate constant? How do you know?

Yes! You travel the same distance every minute.

Write the rule:

$$y = \frac{13}{12}x$$

Time in days (x)	Total number of eggs laid (y)
1 x3	3
2 x2	4
3 x2	6
4 x2.25	9
7 x14/7	16

Is the rate constant? How do you know?

No! Chicken is not laying same number of eggs every day.

Predict how many eggs laid after 20 days

40 (45) 50

Time in hours(x)	Viral cells found in lab dish (in millions)(y)
1	2
2 x4	8
3 x6	18
5 x10	50
6 x12	72
7.5 x15	112.5

Is the rate constant? How do you know?

No - Because it doesn't increase by same # every hour.

Predict how many cells after 10 hours

200 million!  
 $y = 2x^2$

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Answer the questions based on the scenario presented in bold.

**A football is thrown down field and eventually lands on the ground.**

- a. Is the football traveling at a constant speed?
  
- b. If the football is in the air for 8 seconds, after how many seconds do you think it reached its peak?
  
- c. Name one other prediction/ conclusion you can make about the flight of the football.

**An electric car (TESLA) travels down a nearly empty road at a consistent speed of 65 miles per hour.**

- a. Is the car traveling at a constant rate?
  
- b. How far does the car travel in 3.5 hours? How can you know?
  
- c.

**By accident, I left the water running in the sink this morning when I left my house.**

- a. Is the water flowing out of the sink at a constant rate?
  
- b. Will there be more running out (per minute) at 9AM, noon, or 3PM?
  
- c. Make one other prediction/ comment about the running water.

**Every week, the number of Instagram followers I have doubles.**

- a. Does my Instagram popularity grow at a constant rate?
  
- b. Is this growth sustainable (can I continue to double my followers?) Why or why not?
  
- c. Make one other prediction/ draw one conclusion about the number of followers I have.

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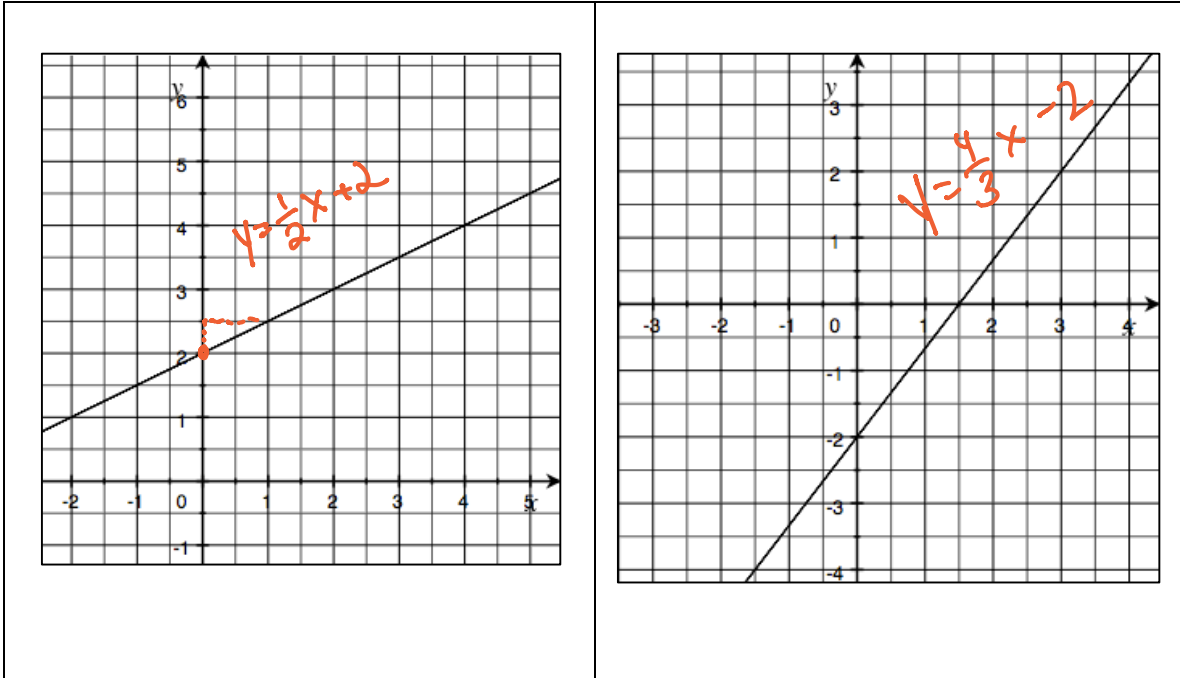
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### ACTIVATING PRIOR KNOWLEDGE:

We can write linear equations from graphs



### CLOSURE: